Pareto Manifold Learning: Tackling multiple tasks via ensembles of single-task models Nikolaos Dimitriadis, Pascal Frossard, Francois Fleuret

Contributions

- Geometrical view: the Pareto Front admits a linear parameterization in parameter space.
- We propose Pareto Manifold Learning, a novel weight-ensembling approach that produces a continuous Pareto Front in a single training run, allowing to modulate the performance on each task during inference.
- Extended experimental validation: PaMaL outperforms state-of-the-art single-point algorithms, while learning a better Pareto parameterization than multi-point baselines.



Problem Formulation

<u>Problem</u>: vector optimization problem $\min \mathbb{E}_{(x,y)\sim \mathcal{D}}[L(f(x; \theta), y)]$ a continuous parameterization of the Pareto Front Goal: We can select the model satisfying our desired trade-off

Algorithm

- Weight ensemble of single-task predictors. At each step, we perform the forward pass with a randomly selected model lying in the convex hull of ensemble members.
- PaMaL objective generalizes Linear Scalarization [Kur+22,Xin+22]



Proposed regularization penalizes violations of monotonicity constraints promoting functional diversity.





We linearly parameterize a Pareto Front in Multi-Task Learning and train it in a single run.



Weight space W



Objective space ()



| | Segmentation | | Depth | |
|-----------------|--------------|--------------------|----------------------|----------------------|
| | mIoU ↑ | Pix Acc \uparrow | Abs Err \downarrow | Rel Err \downarrow |
| STL | 70.96 | 92.12 | 0.0141 | 38.644 |
| LS | 70.12 | 91.90 | 0.0192 | 124.061 |
| UW | 70.20 | 91.93 | 0.0189 | 125.943 |
| MGDA | 66.45 | 90.79 | 0.0141 | 53.138 |
| DWA | 70.10 | 91.89 | 0.0192 | 127.659 |
| PCGrad | 70.02 | 91.84 | 0.0188 | 126.255 |
| IMTL | 70.77 | 92.12 | 0.0151 | 74.230 |
| Graddrop | 70.07 | 91.93 | 0.0189 | 127.146 |
| CAGrad | 69.23 | 91.61 | 0.0168 | 110.139 |
| RLW | 68.79 | 91.52 | 0.0213 | 126.942 |
| Nash-MTL | 71.13 | 92.23 | 0.0157 | 78.499 |
| RotoGrad | 69.92 | 91.85 | 0.0193 | 127.281 |
| Auto- λ | 70.47 | 92.01 | 0.0177 | 116.959 |
| COSMOS | 69.78 | 91.79 | 0.0539 | 136.614 |
| PaMaL(ours) | 70.35 | 91.99 | 0.0141 | 54.520 |

Cor+16] M. Cordts et al. "The Cityscapes Dataset for Semantic Urban Scene Understanding". In: IEEE Conference on Computer Vision and Pattern Recognition. 2016. Kur+22] V. Kurin et al. "In defense of the unitary scalarization for deep multi-task learning". In: Advances in Neural Information Processing Systems. 2022. [Xin+22] D. Xin et al. "Do Current Multi-Task Optimization Methods in Deep Learning Even Help?" In: Advances in Neural Information

Experiments

PaMaL produces a reliable mapping from preference to objective space and outperforms SOTA single-point algorithms.







The work of Nikolaos Dimitriadis wa oported by Swisscom (Switzerland) AG